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PIECEWISE SMOOTH SIGNAL RANDOMIZATION USING SINGULAR POINTS VANISHING MOMENTS SYNTHESIZED WITH FILTER

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ABSTRACT

To detect the singular points of signal from measured data, we turned to curve shortening and derived the partial differential equations that characterize the evolution of curvature. Then we proceed to project measured data into the wavelet domain and suppress wavelet coefficients by this multiscale curvature mask. For a piecewise smooth signal, it was shown that filtering by this curvature mask is equivalent to keeping the signal pointwise exponents at the singular points of the underlying signal, and to lifting its smoothness at all the remaining points.

Keywords: Smooth Signal, Curve Shortening.

I. INTRODUCTION

To increase the number of vanishing moments and the regularity, we use a dual lifting which modifies hand. The corresponding lifting formula with a filter are obtained by switching in the resulting family of biorthogonal scaling functions and wavelets can be constructed in the similar way. Successive iteration of lifting and dual lifting can improve the regularity and vanishing. By increasing the order of zeros a moments of both block diagram of biorthogonal filter banks with a lifting and a dual lifting is given [1-3]. Their Fourier transforms are the resulting filter bank just separate the even and odd samples of a signal without filtering. The lazy scaling functions and wavelets associated with these filters are apparently they do not belong. These wavelets can be transformed into finite energy functions by appropriate lifting's. A lifting of a lazy filter yields to produce a symmetric wavelet must be even. It can be verified that the shortest that lifts lazy wavelet to have vanishing moments is defined [4-5]. The result is the Deslauriers-Dubuc interpolating scaling function. Both of them are continuously differentiable are still sums of Dirac's. A dual lifting can transform them into finite energy functions by creating a dual lifted filter with one or more zeros. Any biorthogonal filters can be synthesized with a succession of lifting and dual lifting applied to the lazy filters defined, up to shifting and multiplicative constants [7]. To any orthonormal wavelet basis of one can associate a separable orthonormal basis, the functions mix information at two different scales along, which we often want to avoid. Separable multiresolution leads to another construction of separable wavelet bases whose elements are products of one dimensional scaling functions and wavelets dilated at the same scale. These multiresolution

Approximations also have important applications in computer vision, where they are used to process images at different level of details. Lower resolution images are represented by fewer pixels and might still carry enough information to perform a recognition tasks. A separable two-dimensional multiresolution is composed of the tensor product spaces Theory shows the existence of a scaling function such that is an orthonormal basis of By the classical theory of functional analysis, one can proves that for an orthonormal basis of It is obtained by scaling the separable scaling function and translating it onto a two dimensional grid with interval be the detail space equal to the orthogonal complement of the lower resolution approximation space, To construct a wavelet orthonormal basis, the following theory builds wavelet basis of each detail space. Scaling function and the corresponding wavelet generating a wavelet orthonormal basis. We define three wavelets: and denote for the three wavelets extract image details at different scales and orientations. Over positive frequencies, have an energy mainly concentrated respectively on lower and higher frequencies. the separable wavelet expressions implies Hence is larger at low horizontal frequencies and high vertical frequencies is larger at high horizontal frequencies and low vertical frequencies As a result, wavelet coefficients calculated along edges which are respectively horizontal and vertical, and produces large coefficients at the corners. This is illustrated by the decomposition of a toolbox image. In the similar fashion, one-dimensional biorthogonal wavelet bases can also be extended to separable biorthogonal bases. Two dual pairs of scaling functions and wavelets that generate biorthogonal wavelet bases.

II. METHODS AND MATERIALS

The dual wavelets of are easy to verify that are biorthogonal bases. It is possible to extend the fast one-dimensional wavelet transform algorithm to two dimensions. At all the scales of and for any, we denote for any pair of one-dimensional filters, we write the product filter and denote. The wavelet coefficients at the scale are calculated with two dimensional separable convolutions and subsampling associated to the wavelet. The decomposition formula are obtained by applying the one-dimensional convolutional formula to the separable two-dimensional wavelets and scaling functions. A separable two dimensional convolution can be factored into one-

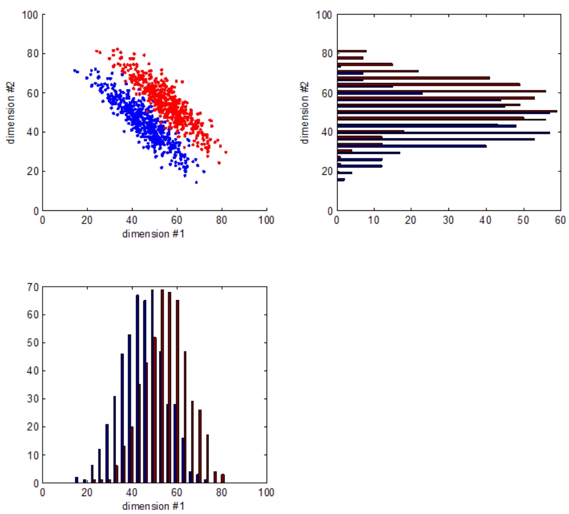

Figure 1 data fusion in 2 dimensional multi space processing

Dimensional convolutions along with rows and columns of the images. The factorization is illustrated are first convolved with, and subsampled The rows of The columns of these two output images are then convolved respectively with hand and subsampled, which gives four subsampled images. We denote the image obtained by inserting a row of zeros and a column of zeros between pairs of consecutive rows and columns is recovered from the coarser scale approximation and the wavelet coefficients and a two-dimensional fast wavelet transform is computed with a cascade followed by a factor subsampling in rows and columns respectively. Figure 1 data fusion in 2 dimensional multi space processing is plotted. A two-dimensional fast inverse wavelet transform reconstructs progressively each by inserting zeros between samples of filtering and adding the outputs along with rows and columns. Two-dimensional separable convolutions derived from the one-dimensional reconstruction formula these four convolutions can also be factored into six groups of one-dimensional convolutions along rows and columns. The wavelet image representation of A is computed, the original image A is recovered from this wavelet representation by iterating the re-construction. We consider the problem of signal estimation in an additive noise model. A signal of support size is contaminated by the addition of a noise. This noise is modeled by the realization of a zero mean random process. The measured data and The signal is estimated by transforming the noisy observation with a decision operator which is given by A statistical approach usually assumes the knowledge of at least the probability distribution of the noise process. Figure 2 biorthogonal two-dimensional wavelet transform... An optimal then minimize the risk of the estimator, which is the average loss calculated with respect to the probability distribution of noise Linear operators have long predominated the solution to this problem because of their simplicity, despite their limited performance. The Bayes framework supposes that signals are realizations of a random vector whose probability distribution is a known prior. The Bayes risk is the expected risk calculated with respect to the prior probability distribution of the signal the Bayes estimation is to optimize to inimize the expected risk. It is, however, generally not possible to have enough information to define this prior probability distribution for a signal set with a complex structure. To overcome this difficulty, one may call upon a minimax framework that applies a simpler model which constrains signals in a prior set.

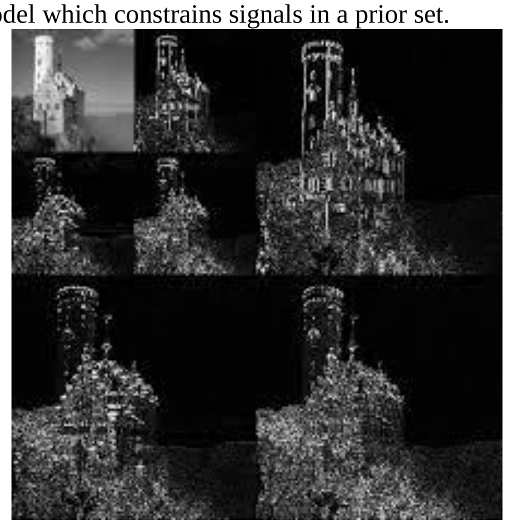

Figure 2 A fast biorthogonal two-dimensional wavelet transform

III. RESULTS

The goal is to then find an optimal operator which minimizes the maximum risk over. Where the maximum risk is given by Except for a few special cases, minimax optimal operators are highly nonlinear and difficult to find for real world applications. More often than not, one settles for a suboptimal estimator. This section studies particular estimators that are diagonal in an orthonormal basis. If the basis defines a sparse signal representation, then such diagonal estimators are nearly optimal among all nonlinear estimators. The noise coefficient is hence also a white noise of variance. The resulting estimator is setting, we can write where depends on. The estimation risk in practice, the attenuation factor cannot be computed since it depends, whose value is not known. An oracle attenuation. The analysis of diagonal estimators can be simplified by restricting. A non-linear projector that minimizes the risk. Similar to the case, this projector cannot be implemented because depends on the value of the risk of this oracle projector is computed with One can use the risk in to verify the performance of practical thresholding estimators. Instead of depending on a feasible approach is to use to determine an appropriate projection. A diagonal estimator can be written as n oracle attenuation yields a risk that is smaller than the risk of an oracle projection, by slightly decreasing the amplitude for all coefficients in order to reduce the added noise. A similar attenuation, although non-optimal, is implemented by a soft thresholding, which decreases by the amplitude of all noisy coefficients. This soft thresholding function is given by It is the solution that minimizes a quadratic distance to the data, penalized by an It is the solution that minimizes a quadratic distance to the data, penalized by a norm. Given the data, the vector which minimizes. The threshold is generally chosen so that it is just above almost all the noise coefficients. Figure 3 Multi-sensor image fusion sensor image & a forward looking infrared image. Since vector of independent Gaussian random variables of variance. By taking one can show that the theorem proves that the risk of a thresholding estimator is close to the risk of an oracle projector defined. A filter bank tree of depth decomposes a discrete signal in a discrete wavelet basis defined. An orthonormal basis a wavelet thresholding estimator can be written is a hard or soft thresholding function. In a wavelet signal representation, large amplitude coefficients correspond to transient signal variations, this means that the thresholding estimation only keeps transients coming from the underlying signal, without adding others due to the noise. The threshold is not optimal and in general a lower threshold reduces the risk. A threshold adapted to the data is calculated by minimizing an estimation of the risk. Denote the risk of a soft thresholding estimator calculated with a threshold. An estimate is calculated from the noisy data, is optimized by minimizing. To estimate the risk, observe that if then the soft thresholding sets this coefficient to zero, which produces a risk equal. Since one can estimate. The soft thresholding subtracts from the amplitude of. The expected risk is the sum of the noise energy plus the bias introduced by the reduction of the amplitude. It is estimated by. The resulting estimator.

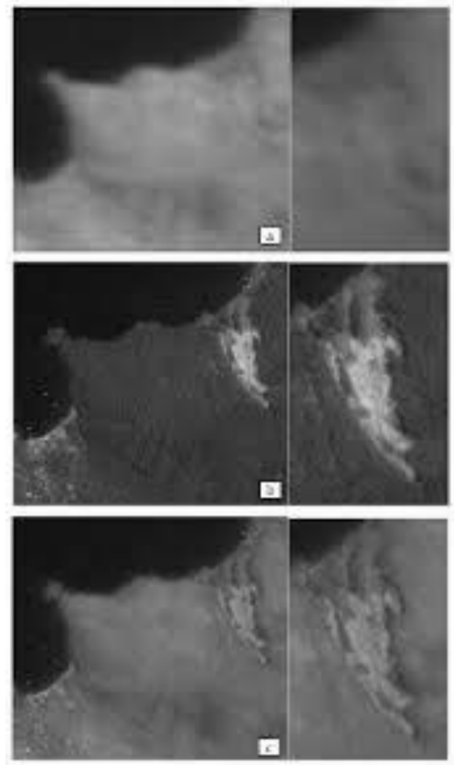

Figure 3 image fusion for enhancing image quality.

IV. CONCLUSION

In this paper an Algorithms for pre-processing step of the shapes extracted from images is proposed, a novel non-linear smoothness-constrained filtering technique. The key idea is to separate the signal portion from its measured data, and to preserve the original smoothness property of the underlying shape. Using notations of spaces and exponent, we establish results of signal regularity measurement with wavelets. A new singularity detection method by tracking the curvature extrema across scales is proposed and a multiscale curvature mask is generated. The simulation results show that the presented method is fantastic one among traditional methods.

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